Matching Logic A New Program Verification Approach

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(work started in 2009 with Wolfram Schulte at MSR)

Usable Verification ...

- Relatively clear objectives:
 - Better tools, more connected, more user friendly
 - Teach students verification early
 - Get the best from what we have
- But ... could it be that, after 40 years of program verification, we still lack the right semantically grounded program verification foundation?

Current State-of-the-Art

Consider some programming language, L

- Formal semantics of L
 - Typically skipped: considered expensive and useless
- Model checkers for L
 - Based on some adhoc encodings of L
- Program verifiers for L
 - Based on some other adhoc encodings of L
- Runtime verifiers for L
 - Based on yet another adhoc encodings of L

Semantic Gap

- Why would I trust any of these tools for L?
- How do they relate to L ?
- What is L ?

 Example: the C (very informal) manual implies that (x=0) + (x=0) is undefined

- Yet, all C verifiers we looked into "prove" it = $\mathbf{0}$

Ideal Scenario

 Have one formal definition of L which serves all the semantic and verification purposes

> Execution of L programs (use for extensive testing)

Model checking of L programs

Proving L programs correct

Our Approach

• Define languages using the K framework

 A rewrite based framework which generalizes both evaluation contexts and the CHAM

- A programming language is a K system
 - Algebraic signature (syntax + configuration)
 - K rewrite rules (make read/write parts explicit)
- "Compile" K to different back-ends
 - To OCAML for efficient interpreters (experimental)
 - To Maude for execution, debugging, verification

KernelC

MODULE KERNELC-SYNTAX IMPORTS PL-ID+PL-INT PointerId ::- Id | * PointerId [strict] Ezp ::- Int | PointerId | Deelld + Exp [ditto] Exp + Exp [strict] Exp - Exp [strict] Exp --- Exp [strict] Exp 1= Exp strict Exp <= Exp [strict] 1 Exp Exp && Exp Exp || Exp Eap 7 Eap : Eap Exp = Exp [strict(2)]printf("%d;", Exp) [strict] scanf("%d", Exp) [strict] & Id Id (Ltst[Ezp]) [strict(2)] Id () Exp ++ NULL free(Exp) [strict] (int*)malloc(Exp *sizeof(int)) [strict] Eap [Eap] spavn Exp acquire(Exp) [strict] release(Exp) [strict] join(Exp) [strict] StmtLast ::- Stmt StmtLast StmtLast Last [Bottom] ::- Bottom Last [Bottom] , Last [Bottom] [id: () strict hybrid assoc] Ltst{PointerId} ::- PointerId | Ltst{Bottom} | Ltst{PointerId}, Ltst{PointerId} [id: () ditto assoc] Ltst{DeelId} ::- DeelId | Ltst{Bottom} | Last{DeelId} . Last{DeelId} [id: () ditto assoc] List{Exp} ::- Exp | List{PointerId} | List{DeclId} | Ltst{Exp} Ltst{Exp} [id: () ditto assoc] Deelld ::- int Exp void PointerId Stmt ::- Eap ; [strict] {} { StmtLtst } if (Exp) Stmt 11(Exp) Stmt else Stmt [strict(1)] while(Exp) Stmt DeelId Last[DeelId] { StmtLast } DeclId Last[DeclId] { StmtLast return Exp ; } #include< StmtLast > Id:--main Pgm ::= #include<stdio.h>#include<stdlib.h> StmtList END MODULE MODULE KERNELC-DESUGARED-SYNTAX IMPORTS KERNELC-SYNTAX MACRD: 1E - E70:1MACRO: E_1 at $E_2 - E_1$? E_2 : 0 macro: $E_1 \parallel E_2 - E_1$? 1 : E_2 MACRD: if(E)St - if(E)St else {} MACRO: NULL - 0 MACRD: IO - I(O)MACRO: DI L { Sts } - DI L { Sts return 0 ; } MACRO: Void PI-int PI MACRO: int + PI - int PI MACRO: #include< Sts > - Sts MACRD: $E_1 [E_2] - * E_1 + E_2$ MACRO: int * PI = E - int PI = E MACRO: E ++ - E = E + 1END MODULE





Matching Logic

- Builds upon operational semantics
 - We use K, but in principle can work with any op semantics: a formal notion of configuration is necessary
 - With K, we do not modify anything in the original sem!
- Extends the PL semantics with matching logic specifications, or *patterns*; for example,

 $\langle \mathsf{root} \mapsto ?\mathsf{root}, \ \mathsf{E}\rangle_{\mathrm{env}} \ \ \langle \mathsf{tree}(?\mathsf{root})(\mathsf{T}), \ \mathsf{H}\rangle_{\mathrm{heap}} \ \ \mathsf{C} \ \ \rangle_{\mathrm{config}}$

specifies all configurations in which program variable root points to a tree T in the heap

Demo

Highlights

- Matching logic builds upon giants' shoulders
 - Matching and rewriting "modulo" have been researched extensively; efficient algorithms (Maude) despite its complexity (NP complete w/o constraints)
 - Mathematical universe axiomatized using well understood and developed algebraic specification

$$rev(nil) = nil$$

$$rev([a]) = [a]$$

$$rev(A_1@A_2) = rev(A_1)@rev(A_2)$$

Matching is Powerful

- The underlying rewrite machinery of K works by means of matching
 - So programming language semantics, which is most of the matching logic rules, is matching
- Pattern assertion reduces to matching
- Framing reduces to matching
- Separation reduces to matching
- Nothing special needs to be done for separation or for framing!

K and Matching Logic Scale

- We defined several real languages so far
 - Complete: C (C99), Scheme
 - Large subsets: Verilog, Java 1.4
 - In work: X10, Haskell, JavaScript
- And tens of toy or paradigmatic languages
- We next give an overview of the C definition
 Defined by Chucky Ellison (PhD at UIUC)

Configuration of C



•K

Map

•K

Statistics for the C definition

- Syntactic constructs: 173
- Total number of rules: 812
- Total number of lines: 4688

 Has been tested on thousands of C programs (several benchmarks, including the gcc torture test – passed 95% so far)

Conclusion and Future Work

- Formal verification should start with a formal, executable semantics of the language
- Once a well-tested formal semantics is available, developing program verifiers should be an easy task, available to masses
- Matching logic aims at the above
- It makes formal semantics useful!
- It additionally encourages developing formal semantics to languages, which in K is easy and fun